

A Dynamically Driven, Universal Thermal Profile of Galaxy Groups and Clusters

Ido Reiss^{1,2}, Uri Keshet¹

1) Ben Gurion University; 2) Nuclear Research Center Negev

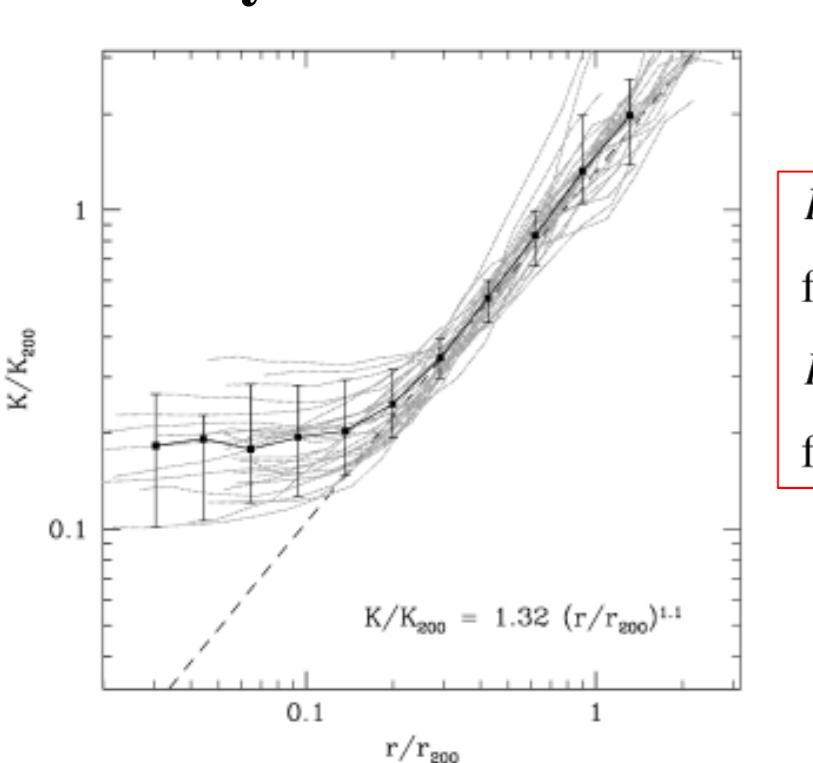
arXiv:1412.8456



SELF-SIMILAR MODEL (Voit+05)

Cosmological simulation (both SPH and AMR)

No baryonic feedback → Self similar, power-law entropy profile



$$K(r) = 1.45 \pm 0.01 K_{200} (r/r_{200})^{1.21 \pm 0.01}$$

for the SPH clusters and

$$K(r) = 1.51 \pm 0.03 K_{200} (r/r_{200})^{1.24 \pm 0.03}$$

for the AMR clusters.

$$K_{200} \propto M_{200}^{2/3}$$

ENTROPY PROFILES

The sample: 16 cool-core clusters and 12 groups from the literature, all deprojected

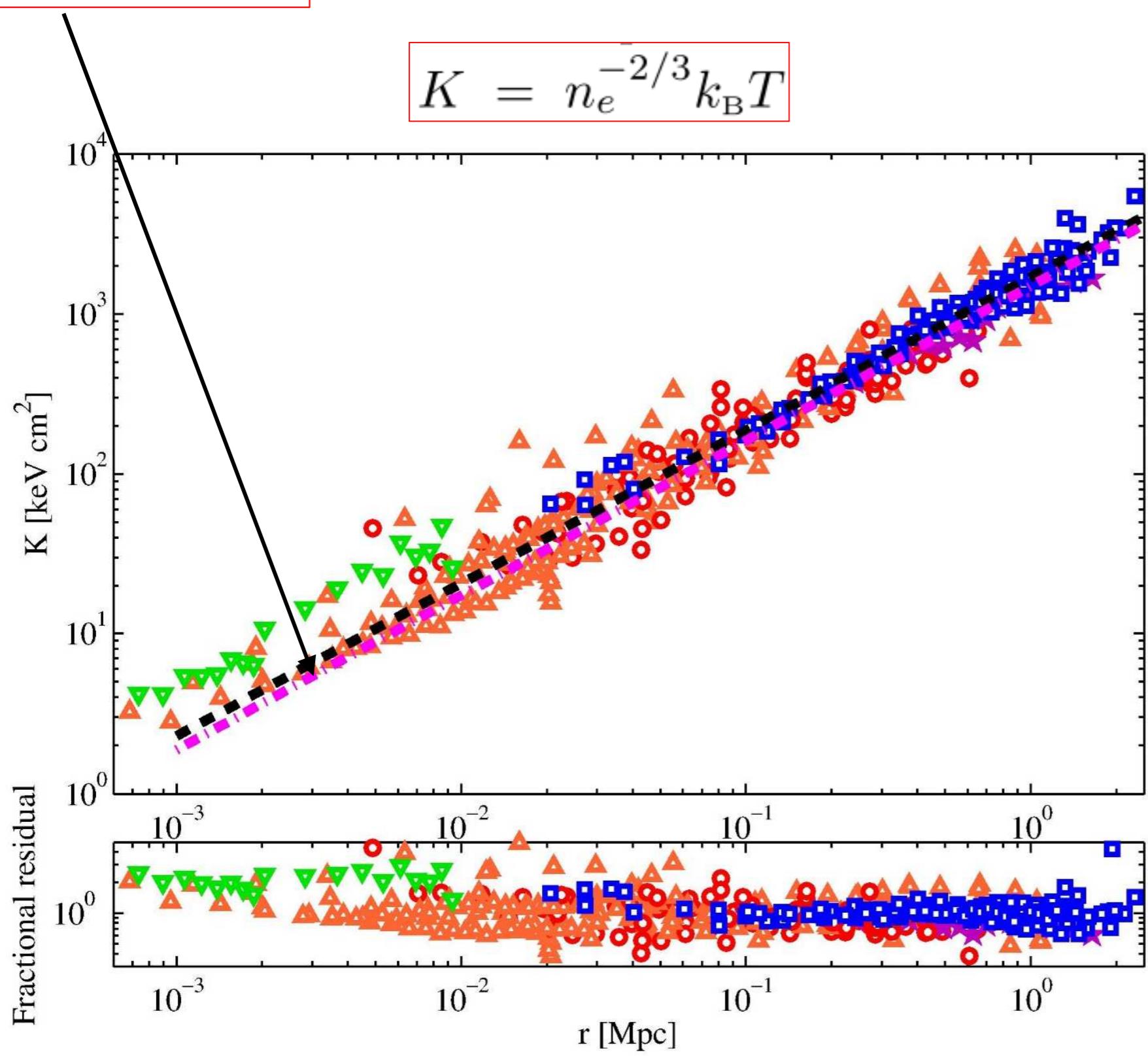
Fit: Pure power law for $r > 10$ kpc

$$K = K_{100} (r/100 \text{ kpc})^{\lambda_K}$$

$$K_{100} = 187 \pm 6 \text{ keV cm}^2$$

$$\lambda_K = 0.96 \pm 0.01$$

λ_K Inconsistent with Voit+05 by $>8\sigma$



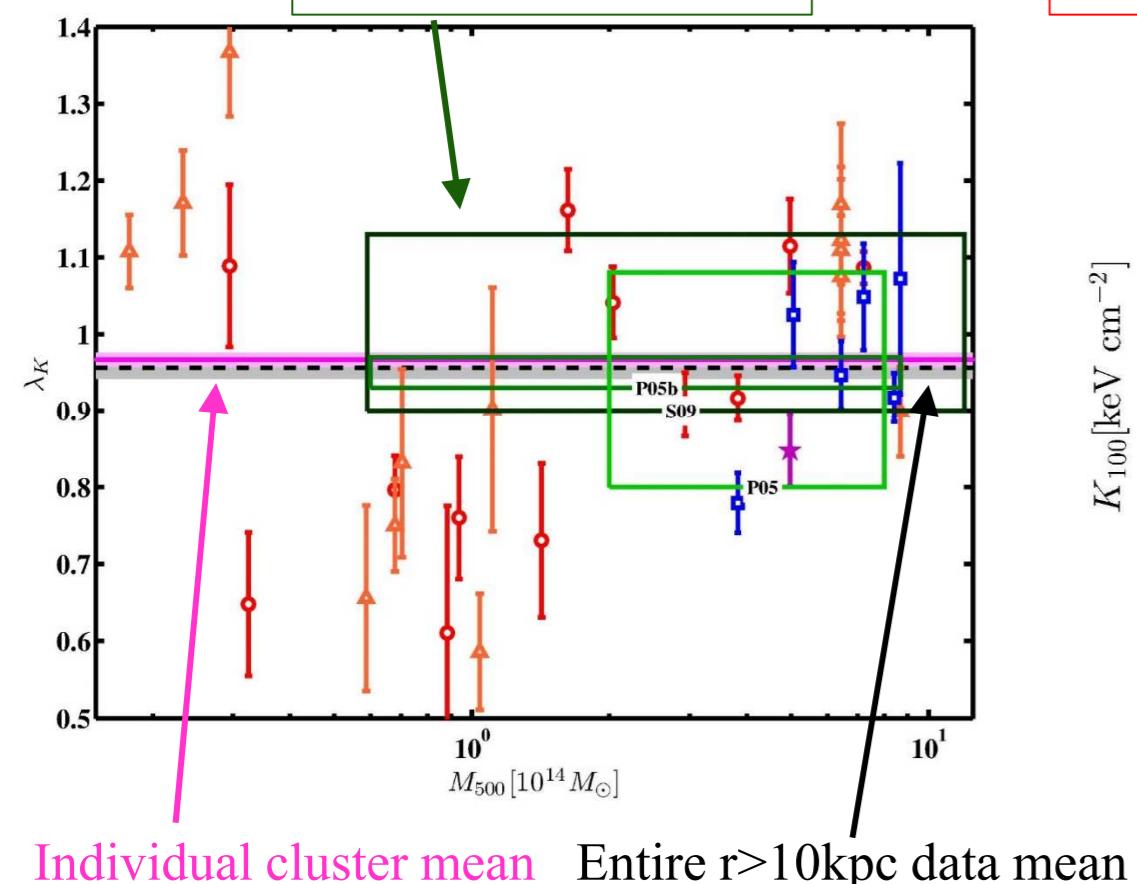
○ XMM-Newton △ Chandra ☆ Suzaku ▽ M49 □ ROSAT+Planck

INDIVIDUAL PROFILES

Showing results for individual cluster with >4 points for $r > 10$ kpc

Previous Samples:
P05 – Pratt+05
P05b – Piffaretti+05
S09 – Sanderson+09

No mass Correlation for K_{100} – inconsistent with Voit+05 by $>8\sigma$



Voit+05 prediction – too low by $>6.5\sigma$

BIBLIOGRAPHY

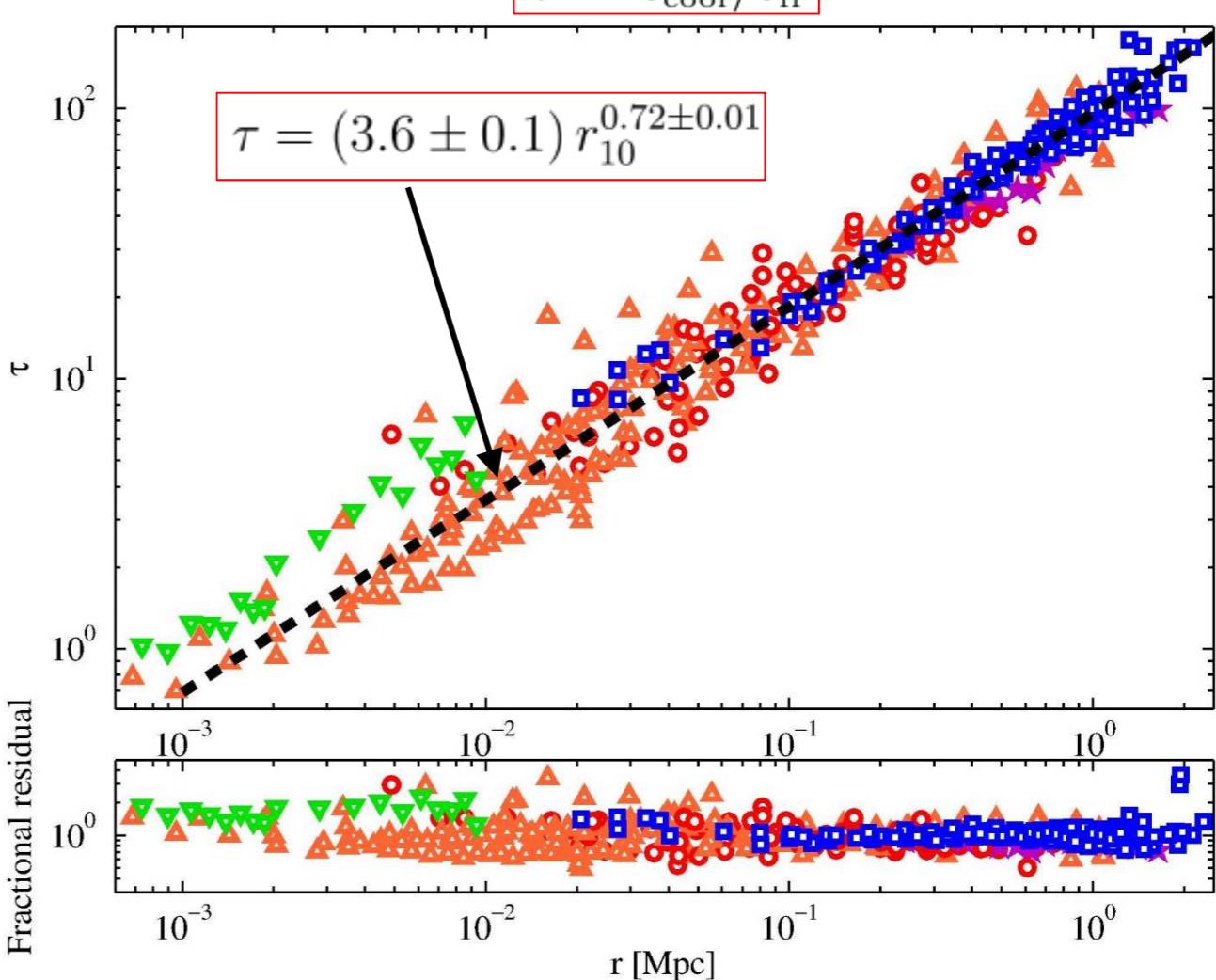
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COOLING TIME TO FREE-FALL TIME RATIO

$$\text{Free fall time } t_{\text{ff}} \equiv (G\rho_{\text{tot}})^{-1/2} = (f_g/G\rho)^{1/2}$$

$$\text{Cooling time } t_{\text{cool}} \equiv \frac{U_{\text{th}}}{dE/dt} = \frac{(3/2)\zeta n_e k_B T}{n_e^2 \Lambda(T)}$$

$$\tau \equiv t_{\text{cool}}/t_{\text{ff}}$$



$$\tau \propto \left[\frac{T^{1/4}}{f_g^{1/2} \Lambda(T)} \right] K^{3/4}$$

A broader temperature span is needed in order to determine which is a better fit

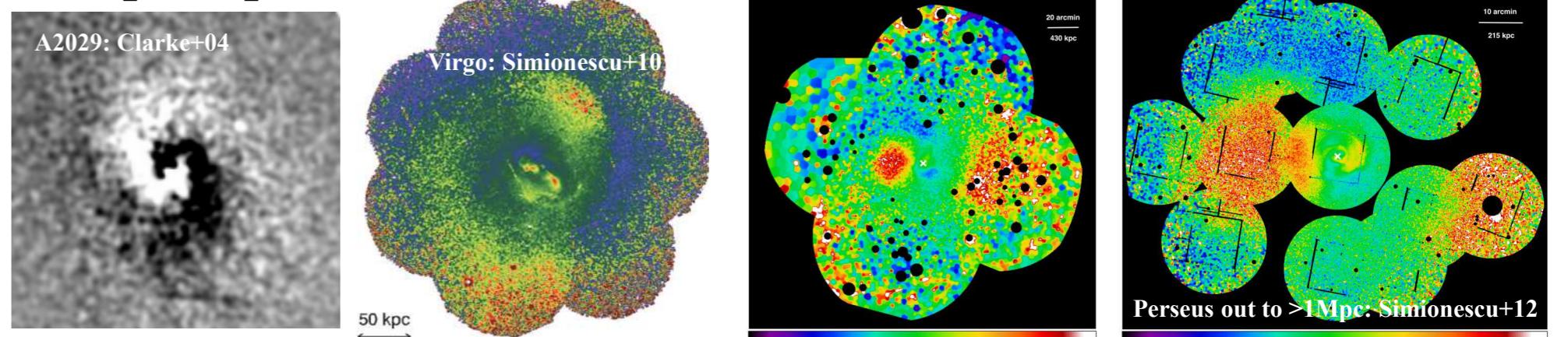
- No minimum in τ .
- For small radii, $\tau \approx 1$.
- No distinction between cluster with and without H_0 (Unlike McCourt+12).

DYNAMIC ORIGIN OF THE UNIVERSAL PROFILE

- Self similar model (Voit+05) is ruled out: (i) no break in core; (ii) no K_{100} – M_{500} correlation; (iii) wrong normalization; (iv) wrong power-law
- Radial Heat Conduction (Zakamska+03, Dolag+04) unlikely in both side of temperature peak
- A robust, dynamical, nonlocal mechanism is needed to sustain the universal profile

POSSIBLE SPIRAL ORIGIN

- Spiral patterns are ubiquitous



- The azimuthal gradients govern the flow. If $\partial_\phi \log \sim L/(2\pi r)$
Balancing cooling and azimuthal heat conduction

$$\frac{K}{r} = \frac{k_B T}{n_e^{2/3} r} \simeq k_B \left(\frac{2\pi \Lambda_0}{\kappa_0 L} \right)^{1/3} = \text{const.},$$

$$L \simeq 10 \text{ kpc}$$

- Balancing cooling and radial heat advection

$$\frac{\tau^{4/3}}{r} \simeq C \left(\frac{k_B T}{n_e^{2/3} r} \right)^{2/3} \simeq \left(\frac{9\pi \zeta^4}{2\gamma f_g^2} \right)^{1/3} \frac{1}{L_0^{2/3} L^{1/3}} = \text{const.},$$

$$L \simeq 1 \text{ kpc.}$$

Similar values of order of the base of the spiral

- Solved a simple, analytic, two flow model along spiral CFs (Based on Keshet 12): (i) Fast, cold adiabatic flow below the CF; (ii) Slow, Hot inflow above the CF.
- Entropy is nearly linear and independent of pressure slope

Property A	Logarithmic derivative $\lambda_A = d \log A / d \log(r)$	
Pressure P	$\lambda \equiv \lambda_P$	
Spiral slope γ	$\frac{-2\lambda + 4\Gamma(1+\lambda)}{7\Gamma} = \frac{4}{7} + \frac{2}{5}\lambda$	
Curvature	$\frac{r}{R_\theta} = -\frac{\lambda}{\Gamma}$	
	Fast phase	Slow phase
Density ρ	$\frac{\lambda}{\Gamma} = \frac{3\lambda}{5}$	$\frac{-4\Gamma + (3\Gamma + 2)\lambda}{7\Gamma} = -\frac{4}{7} + \frac{3}{5}\lambda$
Temperature T	$\frac{\Gamma-1}{\Gamma}\lambda = \frac{2\lambda}{5}$	$\frac{-2\lambda + 4\Gamma(1+\lambda)}{7\Gamma} = \frac{4}{7} + \frac{2}{5}\lambda$
Radial velocity v	$\frac{-3\Gamma + (4\Gamma - 2)\lambda}{7\Gamma} = -\frac{3}{7} + \frac{2}{5}\lambda$	$\frac{\Gamma + (3\Gamma + \lambda)}{7\Gamma} = \frac{1}{7} + \frac{2}{5}\lambda$
Tangential velocity w	-1	$\frac{-3\Gamma - (5 - 3\Gamma)\lambda}{7\Gamma} = -\frac{3}{7}$
Entropy K	0	$\frac{4\Gamma + (5 - 3\Gamma)\lambda}{7} = \frac{20}{21}$